

# FUNCTION FINDING AND THE CREATION OF NUMERICAL CONSTANTS IN GEP

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# AIM

Analyse the usefulness of  
numerical constants in  
evolutionary computation

# PROBLEM SUITE (1)

## SEQUENCE INDUCTION

- Computer generated
- Integer constants
- 1 variable

# PROBLEM SUITE (2)

## V FUNCTION

- Computer generated
- Rational constants
- 1 variable

# PROBLEM SUITE (3)

## WOLFER SUNSPOTS

- Real-world problem
- Rational constants
- 10 variables

# RESULTS: Performance (1)

## SEQUENCE INDUCTION

	With constants	Without constants
Number of runs	100	100
Number of generations	100	100
Population size	100	100
Average best-of-run fitness	179.827	197.232
Average best-of-run R-square	0.977612	0.999345
Success rate	16%	81%

# RESULTS: Performance (2)

## V FUNCTION

	With constants	Without constants
Number of runs	100	100
Number of generations	5000	5000
Population size	100	100
Average best-of-run fitness	1914.8	1931.84
Average best-of-run R-square	0.957255	0.995340

# RESULTS: Performance (3)

## WOLFER SUNSPOTS

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	With constants	Without constants
Number of runs	100	100
Number of generations	5000	5000
Population size	100	100
Average best-of-run fitness	86215.27	89033.29
Average best-of-run R-square	0.713365	0.811863

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# RESULTS: Best evolved models (1)

## SEQUENCE INDUCTION

With constants

$$y = 5a^4 + 4a^3 + 3a^2 + 2a + 1$$

R-square: 1

Without constants

$$y = 5a^4 + 4a^3 + 3a^2 + 2a + 1$$

R-square: 1

# RESULTS: Best evolved models (2)

## V FUNCTION

With constants

$$y = \left[ \ln(0.99782a^2) \right] + \left[ 10^{\sin(1.27278a)} \right] + \left[ 10^{0.929a} \right] + \\ \left[ 0.77631 - 2.80112a^3 \right] + \left[ 2.45714 + e^{0.981a} + e^a \right]$$

R-square: 0.9999313

Without constants

$$y = \left[ \ln(2a^2) + 10^{\sin a} \right] + \left[ 2a + \sin a + a^2 \right] + \\ \left[ \cos(\cos(2a)) + e^{a^2} \right] + \left[ e^{\sin a} \right] + \left[ 1 + e^a + e^{a^2} \right]$$

R-square: 0.99997001

# RESULTS: Best evolved models (3)

## WOLFER SUNSPOTS

With constants

$$y = \frac{2j^2}{h+i+j} + \frac{a+b+g}{0.995+0.847c+e} + \frac{1.903j+j^2}{i^2+j}$$

R-square: 0.833714

Without constants

$$y = j + \frac{d-i+3j}{b+e} + \frac{d+bj-ij}{a+2i}$$

R-square: 0.882831

# CONCLUSIONS

The use of numerical constants results in:

- worse performance
- more complex implementation
- worse evolution
- more CPU time